

Evolution

Exploration

Evolution

The natural exponent e is defined in the inversion of scale parameter $1/a = \{1+1/n\}$
 $e = \lim_{n \rightarrow \infty} [1+1/n]^n$ for $e = \{1+1/n\}$ for $x=1-hf/kT$ in Planck's Radiation Law for a Black Body
 $e^{1-1/n}$ for $n=1/[e-1] = 1/\gamma^n = X^n$

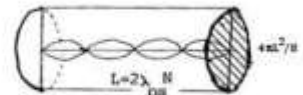
$n^* = \ln(e-1)/\ln \gamma = 1.12492010$.
 for a time coordinate 0.0075 or
 about 126.58 Million years ago

$$e^{\frac{hf}{kT}} = 1 + \frac{1}{n} \text{ for } n(f, T) = \frac{1}{e^{\frac{hf}{kT}} - 1} \quad (\text{Eq. \#26})$$

Now consider the universe as a Black Body or a particle in a quantum box, the box being of course the quantumspace boundary r_{max} , itself bounded by omnispaces as the 11-dimensional supermembrane, with 28 7-spheres relating to 26 bosonic dimensions via the quantization of Prime numbers as encountered.

The U-Field is quantized into 12-intersecting unified current loops and the extent is $4\lambda_{ps} = 4 \times 10^{-22} \text{ m}^4$.

We now consider the frequency interval $2\lambda_{ps} N$ and the "volume" of the black box is quantized
 $N = L/2\lambda = Lf/2c$ with $dN = Ldf/2c$ for $N^2 dN = (L^3 f^2 / 8c^3) df$



Surface Area of a sphere as octant of a cubic box volume L^3

Now the "volume" of the box is $L^3/8$ and our dimensionless volume becomes the Number of FREQUENCY STATES for a black body with frequencies in the interval df . Since the temperature for a given frequency interval determines the distribution of the radiation spectrum, we determine the spectral distribution dE/df via
 As a photon has two quantum polarization spin momenta, the Frequency States are doubled.

Frequency States $2 \times 4\pi N^2 dN = 8\pi L^3 f^2 / 8c^3 df$

The number of photons in df : $\frac{8\pi f^2 (V)}{c^3} \times \frac{1}{e^{hf/kT} - 1} df = dP$

$dE = hf dP = \frac{8\pi h^3 V}{c^3} \cdot \frac{f^3}{e^{hf/kT} - 1} df$

and the total energy in the cubic black box is: $E = \int_0^\infty dE = \frac{8\pi h^3 V}{c^3} \int_0^\infty \frac{f^3}{e^{hf/kT} - 1} df$ (Eq. \#27)

Since we evaluate for a given T, we set $u=hf/kT$ and $du=(h/kT)df$ and we need to evaluate the proportionality constant via the integral $\int_0^\infty \frac{u^3}{e^u - 1} du$
 This can be written as: $\int_0^\infty \frac{u^3}{e^u - 1} du = \Gamma(3+1)\zeta(3+1)$

The GAMMA function $\Gamma(x)$ satisfies the form: $x = \frac{\Gamma(x+1)}{\Gamma(x)}$ as analogue to our $\frac{n+1}{n} = 1 + \frac{1}{n}$ generally $\Gamma(x) = \int_0^\infty t^{x-1} e^{-t} dt$ and for n a positive integer then $\Gamma(n+1) = n! \cdot \Gamma(1) = n!$

The ZETA function of Riemann is defined as $\zeta(z) = \sum_{n=1}^\infty 1/n^z$
 We require $\Gamma(4)\zeta(4) = 3! \cdot \sum_{n=1}^\infty 1/n^4 = 3! \cdot (1/1^4 + 1/2^4 + 1/3^4 + \dots + 1/n^4 \dots)$.

This we derive via the function $f(x) = x^4$ and the application of Fourier Series in $\cos(nx)$
 $f(x) = x^4$ with period 2π , then $a_n = \frac{1}{\pi} \int_0^{2\pi} x^4 \cdot \cos(nx) dx = \frac{1}{\pi} \left(\frac{32\pi^4}{15} - \frac{24\pi^2}{n^2} \right) \Big|_0^{2\pi} = \frac{32\pi^4}{15} - \frac{48}{n^2}$

for $n=0$, $a_0 = \frac{1}{\pi} \int_0^{2\pi} x^4 dx = \frac{32\pi^4}{15}$
 $f(x) = x^4 = \frac{1}{2} a_0 + \sum_{n=1}^\infty a_n \cdot \cos(nx) = \frac{16\pi^4}{5} + \sum_{n=1}^\infty \left(\frac{32\pi^4}{15} - \frac{48}{n^2} \right) \cdot \cos(nx)$

$f(0) = f(2\pi) = \frac{1}{2}(0+16\pi^4) = 8\pi^4$ (Dirichlet Condition) and we use the result $\sum_{n=1}^\infty \frac{1}{n^2} = \frac{\pi^2}{6}$
 and obtained similarly in setting $f(x) = x^2$.

Then for $f(0)$, we have $\frac{24\pi^4}{5} = 32\pi^4 \cdot \frac{\pi^2}{6} - 48 \sum_{n=1}^\infty \frac{1}{n^4}$ and $\sum_{n=1}^\infty \frac{1}{n^4} = \frac{\pi^4}{90}$

Total Energy $E = \frac{31 \pi^4 V \cdot 8\pi^4 k^4}{90 h^3 c^3} = \frac{4V}{c} \left[\frac{2\pi^5 k^4}{15 h^3 c^2} \right] T^4 = \frac{4\sigma V T^4}{c}$
Stefan-Boltzmann Constant σ

Radiation Energy = $\frac{4\sigma T^4}{m_p Y^3 c}$ for Radiation Pressure = Matter Pressure
 Matter Energy Early Universe Later Universe
 $T_{\text{Equilibrium}} = \sqrt{\frac{4 \cdot 18.20 \left(\frac{h \pm 1}{n} \right)^2}{n^3}} = \sqrt{\frac{4 \cdot m_p Y^3 c^2}{4\sigma}} \quad \frac{n^3 Y^n}{n^2 + 2n + 1} = \frac{72.80 \sigma}{m_p c^3} = (1.65107 \times 10^4) (K^4/V)^{\sigma}$

A Cosmic Background temperature of 18.35 Kelvin* for a cycle coordinate of 0.056391 and as 0.056391(16.88 Gy) or 951.2 Million Years after the Instanton to begin the birthing of galaxies

Evolution

In the early radiation dominated cosmology; the quintessence was positive and the matter energy dominated the intrinsic Milgröm deceleration from the Instanton $n=n_{ps}$ to $n=0.18023$ (about 3.04 Billion years) when the quintessence vanished and including a Recombination epoch when the hitherto opaque universe became transparent in the formation of the first hydrogen atoms from the quark-lepton plasma transmuted from the X-L Boson string class HO(32) of the Inflaton epoch preceding the Quantum Big Bang aka the Instanton.

From the modular membrane duality for wormhole radius $r_{ps} = \lambda_{ps}/2\pi$, the critical modulated Schwarzschild radius $r_{ss} = 2\pi\lambda_{ss} = 2\pi \times 10^{22}$ m* for $\lambda_{ps} = 1/\lambda_{ss}$ and for an applied scale factor $a = n/[n+1] = \lambda_{ss}/R_H = \{1-1/[n+1]\}$ for a $n=H_0t$ coordinate $n_{decomax} = 6.259485 \times 10^{-5}$ or about $6.259485 \times 10^{-5} (16.88 \text{ Gy}) = 1.056601$ Million years attenuated by $\exp\{-hf/kT\} = e^{-1} = 0.367879$ to a characteristic cosmological time coordinate of $0.36788 \times 1.056601 = 388,702$ years after the Instanton n_{ps} .

The temperature for the decoupling is found in the galactic scale-limit modular dual to the wormhole geodesic as $1/\lambda_{wormhole} = \lambda_{antiwormhole} = \lambda_{ss} = 10^{22}$ meters or so 1.06 Million ly and its luminosity attenuation in the 1/e proportionality for then 388,588 lightyears as a decoupling time $n_{recombination}$ OR $n_{decomax}/e$.

A maximum galactic halo limit is modulated in $2\pi\lambda_{antiwormhole}$ meters in the linearization of the Planck-length in the conformal mapping of wavelength λ_{ps} in the wormhole radius $r_{ps} = \lambda_{ps}/2\pi$.

$R(n_{decoupling}) = R_H \{n_{decoupling}/(n_{decoupling}+1)\} = 10^{22}$ meters for $n_{decoupling} = 6.2595 \times 10^{-5}$ and so for a CMBBR-Temperature of about $T = 2935$ K* for a galactic protocore then attenuated for $n_{decouplingmin} = n_{decomin} = 9.962 \times 10^{-6}$ for $R = \lambda_{ss}/2\pi$ and $n_{decomax} = 3.9 \times 10^{-4}$ for $R = 2\pi\lambda_{ss}$ and for temperatures of so 11,648 K and 740 K respectively, descriptive of the temperature modulations between the galactic cores and the galactic halos.

So a CMBBR-temperature of so 11,648 K at a time of so 168,114 years defined the initialization of the VPE and the birth of the first ylemic protostars as a decoupling minimum. The ylemic mass currents were purely monopolar and known as superconductive cosmic strings, consisting of nucleonic neutrons, each of mass m_c .

If we assign this timeframe to the maximized ylemic radius and assign our planetesimal limit of fusion temperature 1.2 Billion K as a corresponding minimum; then this planetesimal limit representing the onset of stellar fusion in a characteristic temperature, should indicate the first protostars at a temperature of the CMBBR of about 740 Kelvin.

The universe had a temperature of 740 K for $n_{decouplingmax} = 3.9 \times 10^{-4}$ for $R = 2\pi\lambda_{antiwormhole}$ and this brings us to a curvature radius of so 6.6 Million lightyears and an 'ignition-time' for the first physical ylemic neutron stars as first generation protostars of so 7 Million years after the Big Bang.

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The important cosmological consideration is that of distance-scale modulation. The Black Hole Schwarzschild metric is the inverse of the galactic scale metric. The linearization of the PlanckString as the Weyl-Geodesic and so the wormhole radius in the curvature radius $R(n)$ is modular dual and mirrored in inversion in the manifestation of galactic structure with a nonluminous halo a luminous attenuated diameter-bulge and a super luminous (quasar or White Hole Core).

The core-bulge ratio on the scale of $3/550$ to 0.002 to 0.001 will so reflect the eigen energy quantum of the wormhole as a heterotic Planck-Boson-Weyl-String or as the magneto charge as $1/500$, being the mapping of the Stoney-Planck-Length-Bounce as $e=l_p.c^2\sqrt{\text{Alpha}}$ onto the electron radius in $e^*=2R_e.c^2=1/E_{ps}=\lambda_{ps}/hc$ in the modular string-T-duality applied to the self-dual monopole as string class IIB.

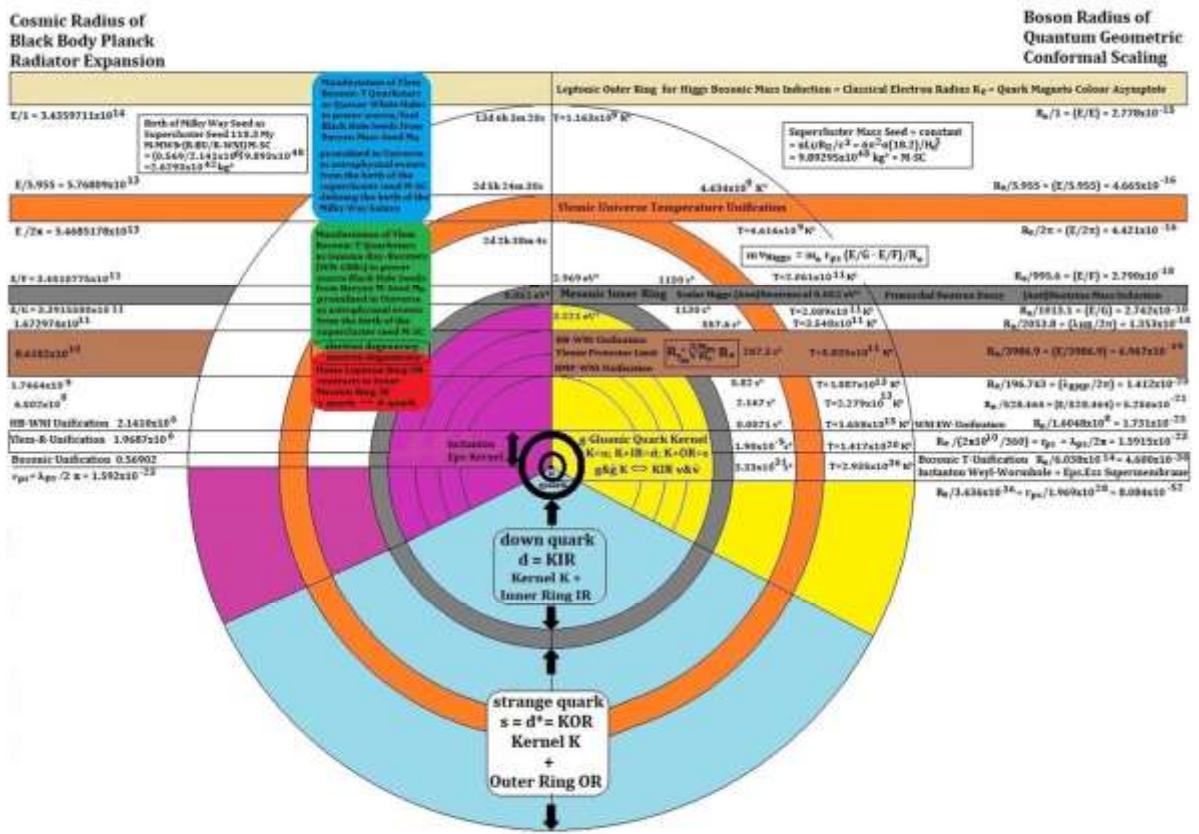
The attenuation of the recombination coordinate then gives the cosmic temperature background for this epoch in the coordinate interval for the curvature radius $R(n=9.962 \times 10^{-6}) = 1.5915 \times 10^{21} \text{ m}^*$ to $R(n=6.259485 \times 10^{-5}) = 10^{22} \text{ m}^*$ for the Dark Energy galactic halos emergent from their Black-Hole-White Hole VPE precursors.

The DEBH halos then encompass Outer- and Inner Dark Matter Halos around Baryonic Matter Inner Bulges at characteristic displacement scales of a $9.9854 \times 10^{20} \text{ m}^*$ DMOH at 105.476 years and a redshift of 399 encompassing a $4.9927 \times 10^{20} \text{ m}^*$ DMIH-GDisk at 52,738 years and a redshift of 565 about a $9.985 \times 10^{19} \text{ m}^*$ BMIH-GBulge at 10,548 years and a redshift of 1254.

This radial displacement scale represents the size of a typical major galaxy in the cosmology; a galactic structure, which became potentialized in the Schwarzschild matter evolution and its manifestation in the ylemic prototypical first generation magnetar-neutron-blazar stars, whose emergence was solely dependent on the experienced cosmic temperature background and not on their mass distributions.

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Quantum Geometric Temperature-Radius/Displacement Unification



Evolution

Cycle time $n=H_0 t$	Time t	Comoving/ (Hubble Redshift z $\sqrt{\{1+2/n[n+2]\}}-1$	Contracted dS deSitter Scale Hubble Radius Universe R_U $R_H\{n/(n+1)\}$ nR_H expanding AdS m^*	Radius Ylem R_y $\sqrt{\{kT_U R_e^3/G_0 m_e^2\}}$	BlackWhite Hole Curvature Mass BHW $R_c=R_y$ M_c $R_y c^2/2 G_0$ kg^*	BHWHawking Temperature T_H $hc^3/4\pi G_0 k M_c$ K^*	Temperature Universe T_U $\sqrt{\{18.2(n+1)^2/n^3\}}$ K^*	Temperature Ylem T_{ylem} $\sqrt{\{3\pi R_U^2 T_U^4/2R_y R_s\}}$ K^*	Luminosity Ylem L_y $4\pi R_y^2 \sigma T_y^4$ L_U $6\pi^2 R_U^2 \sigma T_U^4$ W^* Supercluster Mass Seed $M_{SC} = constant$ $nL_U R_U/c^3 =$ $6\pi^2 \sigma (18.2)/H_0^3$ 9.89295×10^{48} kg^*	Quantum Geometry Displacement Scaling m^*	
$n_{present} = n_p$ 1.132711 $1 + \Delta_{Sun+Earth}$	19.116 Gy	0.25045 comoving H projected 0.00000 Local Flow	8.4855x10 ²⁵ dS 1.8097x10 ²⁶ AdS	0.0871	3.529x10 ²⁵	0.0259	2.747 $T_U T_H = 2.7211$	4.718x10 ⁷	1.476x10 ⁴⁸ dS 6.7813x10 ⁴⁸ AdS	2.871x10 ²²	
1.0070075 $1 + 0.0070075$ $1 + \Delta_{MilkWay}$ Inflation Mirror $1/2 q_0 = 1/4$ Ω_0 Synchronize 12D 11D 10D Khaibit - Universe $\emptyset = 2R_H$	16.994 Gy	0.28860 comoving H projected 0.10298 Local Flow	8.0163x10 ²⁵ dS 1.60887x10 ²⁶ AdS	0.0897	3.633x10 ²⁵	0.02514	2.911 $T_U T_H = 2.8859$	4.824x10 ⁷	1.661x10 ⁴⁸ dS 6.691x10 ⁴⁸ AdS	3.328x10 ²²	

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1	16.87 6 Gy	0.29099 H	7.9884x1 0 ²⁵ dS 1.5976x1 0 ²⁶ AdS	0.0899	3.641x 10 ²⁵	0.02508	2.921 T _U T _H =2.89 59	4.829x10 ⁷	1.672x1 0 ₄₈ dS 6.688x1 0 ₄₈ AdS	3.356x 10 ²²	
0.99299 25 1- 0.00700 75 1-	16.75 8 Gy	0.29342 H	7.9603x1 0 ²⁵ dS 1.5865x1 0 ₂₆ AdS	0.0900	3.645x 10 ²⁵	0.02505	2.931 T _U T _H =2.89 59	4.836x10 ⁷	1.683x1 0 ₄₈ dS 6.685x1 0 ₄₈ AdS	3.383x 10 ²²	

ΔMilkyWa y Inflato n Mirror 1/2q₀=1/4 Ω₀ Synchr onize 12D 11 D 10D Khaibit - Univer se Ø=2R_H											
0.87430 1- ΔSun+Eart h +ΔMilky Way	14.75 5 Gy	0.34010 H	7.4526x1 0 ²⁵ dS 1.3968x1 0 ₂₆ AdS	0.0930	3.766x 10 ²⁵	0.02425	3.127 T _U T _H =3.10 28	4.952x10 ⁷	1.911x1 0 ₄₈ dS 6.714x1 0 ₄₈ AdS	3.969x 10 ²²	
ηmodalima ge for inflato n η_{inif}=0. 8673 2-n_p 1- ΔSun+Eart h	14.63 7 Gy	0.34323 H	7.4207x1 0 ²⁵ dS 1.3857x1 0 ²⁶ AdS	0.0932	3.775x 10 ²⁵	0.02419	3.140 T _U T _H =3.11 58	4.958x10 ⁷	1.927x1 0 ₄₈ dS 6.719x1 0 ₄₈ AdS	4.009x 10 ²²	

Evolution

0.8602865 1- ΔSun+Earth - ΔMilkyWay	14.51829 Gy Age of Sun+Earth 19.1158 - <u>14.5183</u> 4.5975 Gy	0.34640 H	7.3884x10 ²⁵ dS 1.37446x10 ²⁶ AdS	0.0934	3.782x10 ²⁵	0.02415	3.154 T _U T _H =3.1299	4.966x10 ⁷	1.944x10 ⁴⁸ dS 6.728x10 ⁴⁸ AdS	4.055x10 ²²	
0.76078	12.839 Gy	0.3972 H	6.9031x10 ²⁵ dS 1.2155x10 ²⁶ AdS	0.0964	3.904x10 ²⁵	0.0234	3.365 T _U T _H =3.3416	5.082x10 ⁷	2.199x10 ⁴⁸ dS 6.818x10 ⁴⁸ AdS	4.734x10 ²²	
⅓	11.251 Gy	0.4577 H	6.3907x10 ²⁵ dS 1.0651x10 ²⁶ AdS	0.0999	4.046x10 ²⁵	0.0226	3.614 T _U T _H =3.5914	5.205x10 ⁷	2.507x10 ⁴⁸ dS 6.964x10 ⁴⁸ AdS	5.594x10 ²²	
½	8.438 Gy	0.6125 H	5.3256x10 ²⁵ dS 7.9884x10 ²⁵ AdS	0.1084	4.390x10 ²⁵	0.0208	4.254 T _U T _H =4.2332	5.480x10 ⁷	3.343x10 ⁴⁸ dS 7.522x10 ⁴⁸ AdS	8.093x10 ²²	
0.26542	4.479 Gy	1.080 H	3.3511x10 ²⁵ dS 4.2406x10 ²⁵ AdS	0.1318	5.338x10 ²⁵	0.0171	6.283 T _U T _H =6.2659	6.114x10 ⁷	6.298x10 ⁴⁸ dS 1.008x10 ⁴⁹ AdS	1.854x10 ²³	
n_{galaxypeak} for DE=minimum n_{gp}=0.2389	4.0317 Gy	1.177 H	3.0808x10 ²⁵ dS 3.8168x10 ²⁵ AdS Galaxy Cell Scale	0.1364	5.524x10 ²⁵	0.0165	6.728 T _U T _H =6.7115	6.224x10 ⁷	6.999x10 ⁴⁸ dS 1.074x10 ⁴⁹ AdS	2.132x10 ²³	

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n_{nodalimage} for instant on n_{mins}=0.13271 n_p-1 Δ_{Sun+Earth}	2.2396 Gy	1.840 H	1.8719x10 ²⁵ dS 2.1203x10 ²⁵ AdS Galaxy Group Scale	0.1662	6.731x10 ²⁵	0.0136	9.998 T _U T _H =9.9844	6.862x10 ⁷	1.260x10 ⁴⁹ dS 1.617x10 ⁴⁹ AdS	4.677x10 ²³
n_{galaxy} for DE=0 n_g=0.10823	1.8265 Gy	2.125 H	1.5603x10 ²⁵ dS 1.7292x10 ²⁵ AdS Galaxy Group Seed	0.1785	7.229x10 ²⁵	0.0126	11.523 T _U T _H =11.5104	7.092x10 ⁷	1.545x10 ⁴⁹ dS 1.898x10 ⁴⁹ AdS	6.156x10 ²³
n_{EMRMEQ} 0.056389 EMR Pressure= Matter Pressure	951.63 My	3.272 H	8.528x10 ²⁴ dS 9.009x10 ²⁴ AdS	0.2252	9.121x10 ²⁵	0.0100	18.346 ~T _U T _H =18.336	7.877x10 ⁷	2.965x10 ⁴⁹ 3.309x10 ⁴⁹	1.491x10 ²⁴
Ω₀=M_v/M_H 0.028030	473.0 My	5.015 H	4.3562x10 ²⁴ dS 4.4783x10 ²⁴ AdS R _s =R _{sarkar} AdS Supercluster Scale	0.2907	1.177x10 ²⁶	7.758x10 ^{0.3}	30.571 T _U T _H =30.5632	8.801x10 ⁷	5.965x10 ⁴⁹ dS 6.304x10 ⁴⁹ AdS	3.872x10 ²⁴

q₀=Λ_v/A_{dB} 0.014015	236.5 My	7.477 H	2.2082x10 ²⁴ dS 2.2391x10 ²⁴ AdS ½R _s AdS	0.3757	1.522x10 ²⁶	6.000x10 ^{0.3}	51.062 T _U T _H =51.056	9.816x10 ⁷	1.193x10 ⁵⁰ dS 1.227x10 ⁵⁰ AdS	1.001x10 ²⁵
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Evolution

			Supercluster Seed							
$\frac{1}{2}q_0 = \frac{1}{4}\Omega_0$ Synchronize 12D 11D 10D Khaibit - Universe $\emptyset = 2R_H$ $\Delta_{MilkyWay}$ 0.0070075	118.2593 My	10.96687 H	1.11957x10 ²⁴ dS 1.11178x10 ²⁴ AdS Birth of Milky Way Seed as Supercluster Seed $M_{MWS} = (R_{BPTU}/R_{WNI})M_{SC}$ 2.6293x10 ⁴² kg*	0.485518	1.96635x10 ²⁶	4.644x10 ³	85.27897	1.095x10 ⁸	2.386x10 ⁵⁰ dS 2.420x10 ⁵⁰ AdS	2.588x10 ²⁵
3.933x10⁴	6.637 My	49.43 H	$r_{SS} = 2\pi\lambda_{SS}$ 6.2807x10 ²² dS 6.2832x10 ²² AdS	1.430	5.792x10 ²⁶	1.577x10 ³	739.7 ~T _U -T _H	1.717x10 ⁸	4.254x10 ⁵¹ dS 4.257x10 ⁵¹ AdS	1.357x10 ²⁷
ndecomax 6.259x10⁵ Cosmic EMR Decoupling	1.056 My	125.5 H	$\lambda_{SS} = 1/\lambda_{PS}$ 9.999x10 ²¹ dS DEBH-GHalo 1.000x10 ²² AdS	2.848	1.153x10 ²⁷	7.920x10 ⁴	2935.3 ~T _U -T _H	2.288x10 ⁸	2.671x10 ⁵² dS 2.671x10 ⁵² AdS	1.698x10 ²⁸

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Recombination ndecomax/e 2.303x10⁻⁵ Cosmic EMR Decoupling	388,702 y	207.4 H	3.6794x10 ²¹ dS 3.6794x10 ²¹ AdS	4.144	1.678x10 ²⁷	5.441x10 ⁻⁴	6213.0 ~T _U -T _H	2.675x10 ⁸	7.260x10 ⁵² dS 7.260x10 ⁵² AdS	6.715x10 ²⁸	
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ndecom 9.962x10⁻⁶ Cosmic EMR Decoupling	168,14 y	315.8 H	$\lambda_{ss}/2\pi = 1/2\pi\lambda_{ps}$ 1.59153x10 ²¹ dS 1.59154x10 ²¹ AdS	5.674	2.298x10 ²⁷	3.974x10 ⁻⁴	11,648 ~T _U -T _H	3.049x10 ⁸	1.678x10 ⁵³ dS 1.678x10 ⁵³ AdS	2.125x10 ²⁹	
6.250x10⁻⁶	105,476 y	399 H	9.9854x10 ²⁰ DMOHdS 9.9855x10 ²⁰ AdS	6.758	2.737x10 ²⁷	3.336x10 ⁻⁴	16,524 ~T _U -T _H	3.280x10 ⁸	2.675x10 ⁵³ dS 2.675x10 ⁵³ AdS	7.273x10 ²⁹	
3.125x10⁻⁶	52,738 y	565 H	4.9927x10 ²⁰ DMIH-GDisk dS, AdS	8.765	3.550x10 ²⁷	2.572x10 ⁻⁴	27,790 ~T _U -T _H	3.655x10 ⁸	5.350x10 ⁵³ dS, AdS	1.047x10 ³⁰	
6.250x10⁻⁷	10,548 y	1264 H	9.985x10 ¹⁹ BMIHGBulge dS, AdS	16.027	6.491x10 ²⁷	1.407x10 ⁻⁴	92,920 ~T _U -T _H	4.700x10 ⁸	2.675x10 ⁵⁴ dS, AdS	9.572x10 ³⁰	
2.1506x10⁻¹²	13.256 d 1.145x10 ⁶ s*	681,898 H	3.435971x10 ¹⁴ R _E -E space quanta dS, AdS	1793.0 Quasar-WH	7.262x10 ²⁹ 0.363 M _{Sun}	1.257x10 ⁻⁶	1.1630x10 ⁹ ~T _U -T _H	3.347x10 ⁹	7.773x10 ⁵⁹ dS, AdS	3.081x10 ³⁸ Quasar-WH R _e /1 (E/E) 2.778x10 ⁻¹⁵	

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3.6103x10⁻¹³	2.225 d 192,270 s*	1.6643x10 ⁶ H	5.76809x10 ¹³ R _E - (E/5.955) Δ=2.774 h dS, AdS	3500.9 Quasar-WH	1.418x10 ³⁰	6.440x10 ⁻⁷	4.434x10 ⁹ Ylemic Universe Temperature Unification	4.434x10 ⁹	4.628x10 ⁶⁰ dS, AdS	3.618x10 ³⁹ Quasar-WH	R ₀ /5.955 (E/5.955) 4.665x10 ⁻¹⁶
3.4228x10⁻¹³	2.110 d 182,284 s*	1.6641x10 ⁶ H	5.4685178x10 ¹³ R _E -(E/2π) Δ=9986 s space quanta dS, AdS	3571.9 Quasar-WH	1.447x10 ³⁰ 0.723 M _{Sun}	6.311x10 ⁻⁷	4.616x10 ⁹ ~T _U -T _H	4.472x10 ⁹	4.886x10 ⁶⁰ dS, AdS	3.897x10 ³⁹ Quasar-WH	R ₀ /2π (E/2π) 4.421x10 ⁻¹⁶

4.894x10⁻¹⁴	7.240 h 26,064 s*	4.5203x10 ⁶ H	7.81902x10 ¹² R _E (E/43.94) 4) space quanta dS, AdS	7407.41 Neutron Star Blazar-WH Chandrasekhar Limit ρ _{ny} = {8G ₀ m _c M ² / _m (cR _{e3})} ρ _{nu} 159.389ρ _{nu} 7.381x10 ¹⁸ kg*/m ³ * ρ _{nuc} = Mm/R _y max ³ =m _c /R _{e3} GRB-WH	M _{Mod} = M _m =M _{chand} ra =f _{ps} mod 3.000x10 ³⁰ 1.500 M _{Sun}	3.044x10 ⁻⁷	1.985x10 ¹⁰ ~T _U -T _H	6.060x10 ⁹	3.416x10 ⁶¹ dS, AdS	5.651x10 ⁴⁰ Blazar-WH	R ₀ /43.94 42 (E/43.94) 4) 6.321x10 ⁻¹⁷
1.356x10⁻¹⁴	2.0065 h 7223.4 s*	8.588x10 ⁶ H	2.16703x10 ¹² dS, AdS	11,985.43 ρ _{ny} = 60.880ρ _{nuc} 2.819x10 ¹⁸ kg*/m ³ * Blazar-WH Magnetar TolmanOppenheimer-Volkoff Limit	M _{Trov} Y _M _{chand} ra 4.854x10 ³⁰ 2.427 M _{Sun}	1.881x10 ⁻⁷	5.1968x10 ¹⁰ ~T _U -T _H	7.405x10 ⁹	1.233x10 ⁶² dS, AdS	3.299x10 ⁴¹ Blazar-Magnetar-WH	R ₀ /158.5 6 (E/158.5) 6) 1.752x10 ⁻¹⁷

Evolution

2.1601x10⁻¹⁵	19.17 3 m 1150. 4 s*	2.152x10 ⁷ H	3.451077 5x10 ¹¹ R _{F-F} space quanta dS, AdS	23,870.8 ρ _{ny} = 15.347ρ _{nuc} 7.107x10 ¹⁷ kg*/m ^{3*} GRB-WH Quark- GluonPlasmaStrange Star	9.668x 10 ³⁰ 4.834 M _{Sun}	9.445x1 0. _s	2.0614x 10 ¹¹ ~T _U -T _H	9.868x10 ⁹	7.740x1 0 ₆₂ dS, AdS	4.126x 10 ⁴² GRB- WH QGPS	R _e /995.6 (E/F) 2.790x1 0 ⁻¹⁸
2.1363x10⁻¹⁵	18.96 1 m 1137. 7 s*	2.164x10 ⁷ H	3.413055 x10 ¹¹ dS, AdS	23,970.35 ρ _{ny} = 15.221ρ _{nuc} 7.049x10 ¹⁷ kg*/m ^{3*} GRB-WH QGPS- Star	M _{QGP} 2YM _{cha} ndra 9.708x 10 ³⁰ 4.854 M _{Sun}	9.407x1 0. _s	2.0786x 10 ¹¹ ~T _U -T _H	9.885x10 ⁹	7.826x1 0 ₆₂ dS, AdS	4.190x 10 ⁴² GRB- WH QGPS	R _e /1006. 7.6 (E/1006. 7) 2.759x1 0 ⁻¹⁸
2.1228x10⁻¹⁵	18.84 2 m 1130. 5 s*	2.170x10 ⁷ H	3.391558 0x10 ¹¹ R _{G-G} space quanta dS, AdS	24,027.2 ρ _{ny} = 15.149ρ _{nuc} 7.015x10 ¹⁷ kg*/m ^{3*} GRB-WH QGPS- Star	9.731x 10 ³⁰ 4.866 M _{Sun}	9.384x1 0. _s	2.0885x 10 ¹¹ ~T _U -T _H	9.895x10 ⁹	7.876x1 0 ₆₂ dS, AdS	4.227x 10 ⁴² GRB- WH QGPS	R _e /1013. 1 (E/G) 2.742x1 0 ⁻¹⁸
1.047x10⁻¹⁵	9.293 m 557.5 9 s*	3.090x10 ⁷ H	1.672974 x10 ¹¹ dS, AdS	31,318.4 ρ _{ny} =8.914 ρ _{nuc} 4.128x10 ¹⁷ kg*/m ^{3*} GRB-WH QGPS- Star	1.268x 10 ³¹ 6.342 M _{Sun}	7.202x1 0. _s	3.548x1 0 ₁₁ ~T _U -T _H HBWNI Unificati on T _{HB} ↔M _{HB}	1.105x10 ¹⁰	1.596x1 0 ₆₃ dS, AdS	1.117x 10 ⁴³ GRB- WH QGPS	R _e /2053. 8 (λ _{HB} /2π) 1.353x1 0 ⁻¹⁸

Evolution

1.0415x10⁻¹⁵	9.244 m 554.66 s*	3.099x10 ⁷ H	1.664x10 ¹¹ dS, AdS	31,378.3 $\rho_{ny}=8.882$ ρ_{nuc} 4.113x10 ¹⁷ kg*/m ³ * $\rho_{nucOR} = m_c / \{XR_e\}^3$ $Y_3 M_m / R_{ym}$ 3 ax 1.9617x10 ¹⁷ QGPS-Star	1.2708x10 ³¹ 6.354 M_{Sun}	7.186x10 ⁻⁸	3.562x10 ¹¹ $\sim T_U - T_H$	1.106x10 ¹⁰	1.604x10 ⁶³ dS, AdS	1.124x10 ⁴³ GRB-WH QGPS	R _c /2064.4 (E/2064.4) 1.346x10 ⁻¹⁸
3942x10⁻¹⁶	4.788 m 287.27 s*	4.306x10 ⁷ H	8.6182x10 ¹⁰ dS, AdS	40,162.35 $\rho_{ny}=5.423$ ρ_{nuc} 2.511x10 ¹⁷ kg*/m ³ * $R_{ymax} = \sqrt[3]{\frac{M_{mod}/m_c}{R_e} \frac{P_{mod}}{T}} = M_m / R_n$ m_c / R_{e3} 4.6309x10 ¹⁶ kg*/m ³ * $\rho_{nucOR} =$	1.627x10 ³¹ 8.133 M_{Sun}	5.614x10 ⁻⁸	5.8353x10 ¹¹ $\sim T_U - T_H$	1.226x10 ¹⁰	3.099x10 ⁶³ dS, AdS	2.783x10 ⁴³ GRB-WH QGPS Limit	R _c /3986.9 (E/3986.9) 6.967x10 ⁻¹⁹

				$m_c / \{XR_e\}^3$ 1.280.Y ³ M_m / R_{ymax3} 2.511x10 ¹⁷ GRB-WH Gamma-Ray-Burster QGPS-Star Limit							
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Evolution

<p>5.663x10⁻¹⁷</p>	<p>30.16 s*</p>	<p>1.329x10⁸ H</p>	<p>9.048x10⁹ dS, AdS</p>	<p>93,518.1 $R_{\nu} = \frac{R_{\nu} \sqrt{R}}{c^2/e}$ 2G₀m_c ρ_{ny}=ρ_{nuc} 4.6309x10¹⁶ kg*/m³* neutron degeneracy ρ_{nucOR}= m_c/{XR_e}³ 2.980.Y³ M_m/R_ymax³ 5.846x10¹⁷ kg*/m³* QGP Quark Star R_ymax</p>	<p>3.7875 x10³¹ 18.937 M_{Sun}</p>	<p>2.411x10⁻⁸</p>	<p>3.164x10¹² ~T_U-T_H</p>	<p>1.743x10¹⁰</p>	<p>2.953x10⁶⁴</p>	<p>6.166x10⁴⁴ GRB-WH QGP</p>	<p>R_c/37,975 (E/37,975) 7.315x10⁻²⁰</p>
<p>1.0931x10⁻¹⁷</p>	<p>5.821 s*</p>	<p>3.025x10⁸ H</p>	<p>1.7464x10⁹ dS, AdS</p>	<p>173,299.6 ρ_{ny}=0.291 2_{nuc} 1.349x10¹⁶ kg*/m³* ρ_{nucOR}= m_c/{XR_e}³ 5.523.Y³ M_m/R_ymax³ 1.083x10¹⁸ QGP Quark Star R_ymax</p>	<p>7.0186 x10³¹ 35.093 M_{Sun}</p>	<p>1.301x10⁻⁸</p>	<p>1.0865x10¹³ ~T_U-T_H RMP-WNI Unification T_{HB}↔M_{HB}</p>	<p>2.254x10¹⁰</p>	<p>1.530x10⁶⁵ dS, AdS</p>	<p>5.920x10⁴⁵ GRB-WH QGP</p>	<p>R_c/196,743 (λ_{RMP}/2π) 1.412x10⁻²⁰</p>

Evolution

4.0697x10⁻¹⁸	2.167 s*	4.957x10 ⁸ H	6.502x10 ⁸ dS, AdS	251,026.2 ρ _{ny} =0.139 _{nuc} 6.427x10 ¹⁵ kg*/m ^{3*} ρ _{nucR} = m _e /({1/2XR _e }) ³ 8Y ₃ M _m /R _y _{3 max} 1.5693x10 ¹⁸ kg*/m ^{3*} QGP-Star Limit R _y max	1.0166 6x10 ³² 50.833 M _{Sun}	8.982x10 ^{0.9}	2.2796x10 ¹³ ~T _U -T _H	2.630x10 ¹⁰	4.109x10 ⁶⁵ dS, AdS	2.303x10 ⁴⁶ GRB-WH QGP	R _e /528,464 (E/528,464) 5.256x10 ⁻²¹
1.3401x10⁻²⁰	1/140.1 0.0071 s*	8.638x10 ⁹ H	R _{WNI} 2.1410x10 ⁶ dS, AdS	2.1410x10 ⁶	8.671x10 ³² 433.55 2M _{Sun}	1.053x10 ^{0.9}	1.658x10 ¹⁵ ~T _U -T _H HBWNI Unification T _{HB} ↔M _{HB}	6.425x10 ¹⁰	1.247x10 ⁶⁸ dS, AdS	5.966x10 ⁴⁹	R _e /1.6048x10 ⁸ 1.731x10 ⁻²³
1.2813x10⁻²⁰	1/146.5 0.0068 s*	8.834x10 ⁹ H	2.047x10 ⁶ dS, AdS	2.1773x10 ⁶	8.818x10 ³² 440.90 3M _{Sun}	1.036x10 ^{0.9}	1.715x10 ¹⁵ Unification T-Instanton	6.470x10 ¹⁰	1.305x10 ⁶⁸ dS, AdS	6.344x10 ⁴⁹	R _e /1.6785x10 ⁸ 1.655x10 ⁻²³
1.2322x10⁻²⁰	1/152.4 0.00656 s*	9.009x10 ⁹ H	1.9687x10 ⁶ dS, AdS	2.2095x10 ⁶	8.9485x10 ³² 447.42 4M _{Sun}	1.020x10 ^{0.9}	1.766x10 ¹⁵ ~T _U -T _H	6.509x10 ¹⁰	1.357x10 ⁶⁸ dS, AdS	6.692x10 ⁴⁹	R _e /(2π10 ¹⁰ /360) r _{ps} =1.5915x10 ⁻²³
3.562x10⁻²⁷	1.897x10 ⁻⁹ s*	1.676x10 ¹³ H	R _{BPTU} 0.56902 dS, AdS	6.259x10 ⁸	2.535x10 ³⁵ 126,74 5M _{Sun} Stellar BHW Limit	3.602x10 ^{0.12}	T _{ps} =hf _{ps} /k 1.417x10 ²⁰ Bosonic Plasma T- Unification	6.845x10 ¹¹	4.698x10 ⁷⁴ dS, AdS	6.568x10 ⁵⁸	R _e /6.038x10 ¹⁴ 4.600x10 ⁻³⁰ r _{ps} /3.460x10 ⁶

Evolution

$n_{ps}=\lambda_{ps}/R_H$ 6.259x10⁴⁹	t_{ps} $f_{ss}=1/f$ ps 3.33x10 ⁻³¹ S^*	1.264x10 ²⁴ H	$\lambda_{ps}=2\pi r_{ps}$ 10 ⁻²² dS, AdS	9.007x10 ¹⁶ $\sim C2 _{mod}$ $r_{ps}, r_{ss}=\lambda_{ps}/\lambda_{ps}$ =1	3.648x10 ⁴³ 1.824x10 ¹³ M_{Sun} 2.011x10 ⁻⁸ M _o 5.660x10 ³⁹ M_{hyper}	2.503x10 ⁻²⁰ $M_o \rightarrow$ 5.035x10 ⁻²⁸ $M_H \rightarrow$ 1.411x10 ⁻²⁹	$T_{\Lambda o}=\hbar f_{ps}/k$ 2.9351x10 ³⁶ Instanton False Higgs T- Vacuum	1.715x10 ¹⁵ HB-WNI T- Unification	2.671x10 ⁰⁹⁶ dS, AdS	5.360x10 ⁸⁸	$R_c/3.436 \times 10^{36}$ 8.084x10 ⁻⁵² $r_{ps}/1.969 \times 10^{28}$
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The Ylemic Gluon-Quark-Plasma Protostars of Universe as Vortex Energies

The stability of stars is a function of the equilibrium condition, which balances the inward pull of gravity with the outward pressure of the thermodynamic energy or enthalpy of the star ($H=PV+U$). The Jeans Mass M_J and the Jeans Length R_J used to describe the stability conditions for collapsing molecular hydrogen clouds to form stars say, are well known in the scientific data base, say in formulations such as:

$$M_J=3kTR/2Gm \text{ for a Jeans Length of } R_J=\sqrt{\{15kT/(4\pi\rho Gm)\}}=R_J=\sqrt{(kT/Gnm^2)}.$$

Now the Ideal Gas Law of basic thermodynamics states that the internal pressure P and Volume of such an ideal gas are given by $PV=nRT=NkT$ for n moles of substance being the Number N of molecules (say) divided by Avogadro's Constant L in $n=N/L$.

Since the Ideal Gas Constant R divided by Avogadro's Constant L and defines Boltzmann's Constant $k=R/L$. Now the statistical analysis of kinetic energy KE of particles in motion in a gas (say) gives a root-mean-square velocity (rms) and the familiar $2.KE=mv^2(rms)$ from the distribution of individual velocities v in such a system.

It is found that $PV=(2/3)N.KE$ as a total system described by the $v(rms)$. Now set the KE equal to the Gravitational $PE=GMm/R$ for a spherical gas cloud and you get the Jeans Mass. $(3/2N).(NkT)=GMm/R$ with m the mass of a nucleon or Hydrogen atom and $M=M_J=3kTR/2Gm$ as stated.

The Jeans' Length is the critical radius of a cloud (typically a cloud of interstellar dust) where thermal energy, which causes the cloud to expand, is counter acted by gravity, which causes the cloud to collapse. It is named after the British astronomer Sir James Jeans, who first derived the quantity; where k is Boltzmann Constant, T is the temperature of the cloud, r is the radius of the cloud, μ is the mass per particle in the cloud, G is the Gravitational Constant and ρ is the cloud's mass density (i.e. the cloud's mass divided by the cloud's volume).

Evolution

Now following the Big Bang, there were of course no gas clouds in the early expanding universe and the Jeans formulations are not applicable to the mass seedling M_0 ; in the manner of the Jeans formulations as given.

However, the universe's dynamics is in the form of the expansion parameter of GR and so the $R(n)=R_{\max}(n/(n+1))$ scale factor of Quantum Relativity.

So we can certainly analyze this expansion in the form of the Jeans Radius of the first protostars, which so obey the equilibrium conditions and equations of state of the much later gas clouds, for which the Jeans formulations then apply on a say molecular level. This analysis so defines the ylemic neutron stars as 'Gamow proto-stars' and the first stars in the cosmogenesis and the universe.

Let the thermal internal energy or $ITE=H$ be the outward pressure in equilibrium with the gravitational potential energy of $GPE=\Omega$. The nuclear density in terms of the super brane parameters is $\rho_{\text{critical}}=m_c/V_{\text{critical}}$ with m_c a base-nucleon mass for an 'ylemic neutron'.

$V_{\text{critical}}= 4\pi R_e^3/3$ or the volume for the ylemic neutron as given by the classical electron radius $R_e=10^{10}\lambda_{\text{wormhole}}/360=e^*/2c^2$.

$H=(\text{molarity})kT$ for molar volume as $N=(R/R_e)^3$ for $dH=3kTR^2/R_e^3$. $\Omega(R)= -\int G_0Mdm/R = \{3G_0m_c^2/(R_e^3)^2\} \int R^4dR = -3G_0m_c^2R^5/R_e^6$ for $dm/dR=d(\rho V)/dR=4\pi\rho R^2$ and for $\rho=3m_c/4\pi R_e^3$

For equilibrium, the requirement is that $dH=d\Omega$ in the minimum condition $dH+d\Omega=0$.

This gives $dH+d\Omega=3kTR^2/R_e^3 - 16G_0\pi^2\rho^2R^4/3=0$ and the ylemic radius as:

$$R_{\text{ylem}}=\sqrt{\{kTR_e/G_0m_c^2\}}$$

as the Jeans-Length precursor or progenitor for subsequent stellar and galactic generation.

The ylemic (Jeans) radii are all independent of the mass of the star as a function of its nuclear generated temperature.

Applied to the proto-stars of the vortex neutron matter or ylem, the radii are all neutron star radii and define a specific range of radii for the gravitational collapse of the electron degenerate matter.

These spans from the 'First Three Minutes' scenario of the cosmogenesis to 1.1 million seconds (or about 13 days) and encompasses the standard beta decay of the neutron, underpinning radioactivity.

The upper limit defines a trillion-degree temperature and a radius of over 40 km; the trivial Schwarzschild solution gives a typical ylem radius of so 7.4 kilometers and the lower limit defines the 'mysterious' planetesimal limit as 1.8 km.

Evolution

For long a cosmological conundrum, it could not be modelled just how the molecular and electromagnetic forces applicable to conglomerate matter distributions (say gaseous hydrogen as cosmic dust) on the quantum scale of molecules could become strong enough to form say 1 km mass concentrations, required for 'ordinary' gravity to assume control.

The ylem radii's lower limit is defined in this cosmology then show, that it is the ylemic temperature of the 1.2 billion degrees K, which perform the trick under the Ylem-Jeans formulation, and which then is applied to the normal collapse of hydrogenic atoms in summation.

The stellar evolution from the ylemic (di-neutronic) templates is well established in QR and confirms most of the Standard Model's ideas of nucleosynthesis and the general Temperature cosmology.

The standard model is correct in the temperature assignment but is amiss in the corresponding 'size-scales' for the cosmic expansion.

The Big Bang cosmogenesis describes the universe as a Planck-Black Body Radiator, which sets the Cosmic-Microwave-Black Body Background Radiation Spectrum (CMBBR) as a function of n as $T^4=18.2(n+1)^2/n^3$ and derived from the Stefan-Boltzmann-Law and the related statistical frequency distributions.

We have the GR metric for Schwarzschild-Black Hole Evolution as $R_S=2GM/c^2$ as a function of the star's Black Hole's mass M and we have the ylemic Radius as a function of temperature only as $R_{ylem} \propto \sqrt{(kT \cdot R_e^3 / G_0 m_c^2)}$.

The nucleonic mass-seed $m_c = m_p \cdot \alpha^9$ and the product $G_0 m_c^2$ is a constant in the partitioned nevolution of $m_c(n) = Y^n \cdot m_c$ and $G(n) = G_0 \cdot X^n$.

Identifying the ylemic Radius with the Schwarzschild Radius then indicates a specific mass a specific temperature and a specific radius.

Those we call the Chandrasekhar Parameters: $M_{Chandra} = 1.5$ solar Masses $= 3 \times 10^{30}$ kg and $R_{Chandra} = 2G_0 M_{Chandra} / c^2$ or 7407.40704...meters, which is the typical neutron star radius inferred today.

$T_{Chandra} = R_{Chandra}^2 \cdot G_0 m_c^2 / k R_e^3 = 1.985 \times 10^{10}$ K for Electron Radius R_e and Boltzmann's Constant k .

Those Chandrasekhar parameters then define a typical neutron star with a uniform temperature of 20 billion K at the white dwarf limit of ordinary stellar nucleosynthetic evolution (Hertzsprung-Russell or HR-diagram).

The Radius for the mass parametric Universe is given in $R(n) = R_{max}(1 - n/(n+1))$ correlating the ylemic temperatures as the 'uniform' CMBBR-background and we can follow the evolution of the ylemic radius via the approximation:

$$R_{ylem} = 0.05258 \dots \sqrt{T} = (0.0753) \cdot [(n+1)^2 / n^3]^{[1/8]}$$

Evolution

$R_{ylem}(n_{present}=1.132711\dots)=0.0868\dots m^*$ for a $T_{ylem}(n_{present})=2.747 K^*$ for the present time
 $t_{present}=n_{present}/H_0$.

What then is $n_{Chandra}$?

This would describe the size of the universe as the uniform temperature CMBBR today manifesting as the largest stars, mapped however onto the ylemic neutron star evolution as the protostars (say as $n_{Chandra}$ '), defined not in manifested mass, say as neutron conglomerations, but as a quark-gluon plasma, manifesting physically from the quantum geometric templates in the UFOQR in association with the Vortex-Potential-Energy or VPE.

$R(n_{Chandra}')=R_{max}(n_{Chandra}'/(n_{Chandra}'+1))=7407.40741\dots$ for $n_{Chandra}'=4.64 \times 10^{-23}$ and so a time of
 $t_{Chandra}'=n_{Chandra}'/H_0=n_{Chandra}'/1.88 \times 10^{-18}=2.47 \times 10^{-5}$ seconds.

QR defines the Weyl-Temperature limit for Bosonic Unification as 1.9 nanoseconds at a temperature of 1.42×10^{20} Kelvin and the weak-electromagnetic unification at 1/140 seconds or 7 microseconds at $T=1.66 \times 10^{15} K$.

So we place the first ylemic proto-star after the bosonic unification, before which the plenum had been defined as undifferentiated 'bosonic plasma', and after the electro-weak unification, which defined the Higgs-Bosonic Restmass induction via the weak interaction vector-bosons to enable the di-neutrons to be born as ylem or Gamow's neutron matter.

287 seconds after the Instanton, the universe was so 173 Million km across, when its ylemic 'concentrated' VPE-Temperature was so 583.5 Billion K^* and contained in the limiting quarkgluon-plasma star of 80.3 km in diameter.

The 'pixelated' universe so became scaled in ylemic temperature bubbles in the form of primordial White-Hole-Sources coupled to Black Hole-Sinks in a form of macro quanta to reflect the sourcesink Eps coupled to the sinksource Ess of the underpinning elementary super membrane Eps.Ess.

As the universe continued its expansion, the WH-BH dyads remained as temperature hotspots embedded within the cooling spacetime as the Black Body Radiator of the cosmogenesis.

It so had been the thermodynamic temperature of the expanding universe, which had differentiated the space time matrix in scale and beginning with an $80.3/173 \times 10^6$ or 1 to 2.15 Million ratios between the Vortex-PE and its encompassing spacetime envelope.

As the universe expanded and cooled, the first ylem stars crystallized from the mass seedling M_0 . The universe's expansion however cooled the CMBBR background and we to calculate the scale of the universe corresponding to this ylemic scenario; we simply calculate the 'size' for the universe at $T_{Chandra}=20$ Billion K for $T_{Chandra}^4$ and we then find $n_{Chandra}=4.89 \times 10^{-14}$ and $t_{Chandra}=26,065$ seconds or so 7.24 hours.

Evolution

The Radius $R(n_{\text{Chandra}})=7.81 \times 10^{12}$ meters or 7.24 light hours. This is about 52 Astronomical Units and an indicator for the largest possible star in terms of radial extent and the 'size' of a typical solar system, encompassed by supergiants on the HR-diagram.

We so know that the ylemic temperature decreases in direct proportion to the square of the ylemic radius and one hitherto enigmatic aspect in cosmology relates to this in the planetesimal limit. Briefly, a temperature of so 1.2 billion degrees defines an ylemic radius of 1.8 km as the dineutronic limit for proto-neutron stars contracting from so 80 km down to this size just 1.1 million seconds or so 13 days after the Big Bang.

This then 'explains' why chunks of matter can conglomerate via molecular and other adhesive interactions towards this size, where then the accepted gravity is strong enough to build planets and moons. It works, because the ylemic template is defined in subatomic parameters reflecting the mesonic inner and leptonic outer ring boundaries, the planetesimal limit being the leptonic mapping. So neutrino- and quark blueprints micro-macro dance their basic definition as the holographic projections of the space-time quanta.

Now because the Electron Radius is directly proportional to the linearized wormhole perimeter and then the Compton Radius via Alpha in $R_e=10^{10}\lambda_{\text{wormhole}}/360=e^*/2c^2=\text{Alpha}.R_{\text{Compton}}$, the Chandrasekhar White Dwarf limit is proportional to the protonic diameter mirrored in the classical electron radius in $R_{\text{proton}} = \frac{1}{2}XR_e = 0.85838052 \times 10^{-15} \text{ m}^*$ as a reduced classical electron radius and for $\phi_{\text{proton}} = XR_e = 1.71676 \times 10^{-15} \text{ m}^*$ quantum geometrically increasing M_{chandra} in $Y=1/X$ as $Y.M_{\text{chandra}} = 4.854102 \times 10^{30} \text{ kg}^*$ or $2.4271 M_{\text{Sun}}$. The White Dwarf Chandrasekhar limit so increases to the Tolman-Oppenheimer-Volkoff (TOV) limit $M_{\text{chandra}}Y = R_{\text{TOV}}c^2/2G_o$.

Hence any star experiencing electron degeneracy is actually becoming ylemic or dineutronic, the boundary for this process being the Chandrasekhar mass, extended to the TOV mass.

As this represents the Electron Radius as a Protonic Diameter, the Protonic Radius must then indicate the limit for the scale where proton degeneracy would have to enter the scenario. As the proton cannot degenerate in that way, the neutron star must enter its Quark-Star Gluon-Plasma phase transition at the $\frac{1}{2}R_e/Y$ scale, corresponding to a mass of $2Y.M_{\text{Chandra}}=9.7082 \times 10^{30} \text{ kg}^*$ or 4.854 solar masses. This marker is between the F-googol and the G-googol space quanta counter nexus coordinates.

The maximum ylemic radius limiting the manifestation of a Quark star then is found from the constant density proportion $\rho=M/V$:

$$(R_{\text{ylemmax}}/R_e)^3=M_{\text{Chandra}}/m_c \text{ for } R_{\text{ylemmax}}=40.16235 \text{ km.}$$

The corresponding ylemic temperature is 583.5 Billion K for a CMBBR-time of 287 seconds or so 4.8 minutes from a $n=5.4 \times 10^{-16}$, when the universe had a diameter of so 173 Million km.

Evolution

The first ylemic protostar vortex was at that time manifested as the ancestor for all neutron star generations to follow.

This vortex is described in a cosmic string encircling a spherical region so 80.32 km across and within a greater universe of diameter 173 Million km and at a thermodynamic temperature of 583.5 Billion Kelvin at that point in the cosmogenesis.

This vortex manifested as a VPE concentration after the expanding universe had cooled to allow the universe to become transparent from its hitherto defining state of opaqueness and a time known as the decoupling of matter (in the form of the M_0 seedling partitioned in m_c 's) from the radiation pressure of the CMBBR bosons.

And so it continued!